

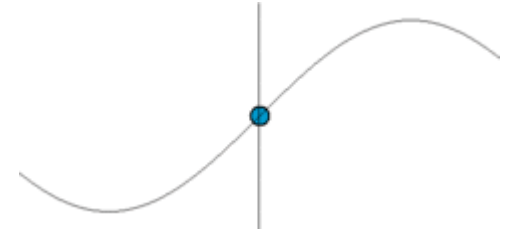
Quick notes on
Oscillator Strengths

Zach Meisel

Ohio University - ASTR420I - Fall 2020

Semi-classical picture of absorption

- Visualize photon absorption corresponding to a given bound-bound transition as a photon oscillating an electron which is disturbed to result in the atomic transition
- The EM field drives the oscillator and Larmor radiation damps it
- TBS shows that the corresponding classical cross section results in



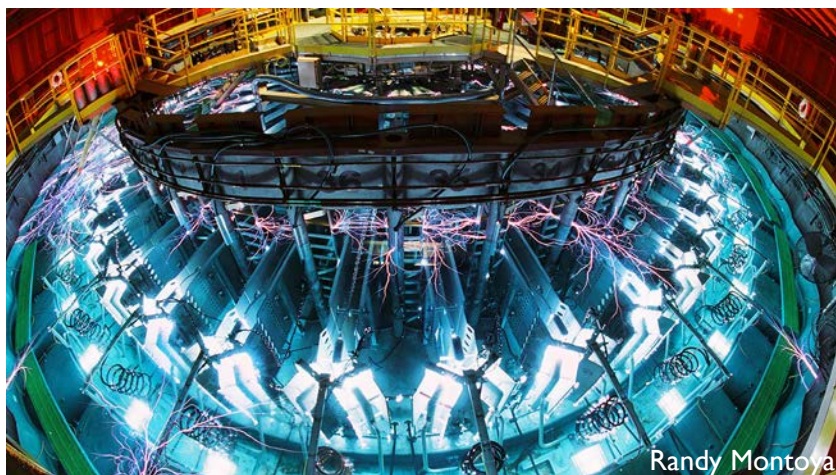
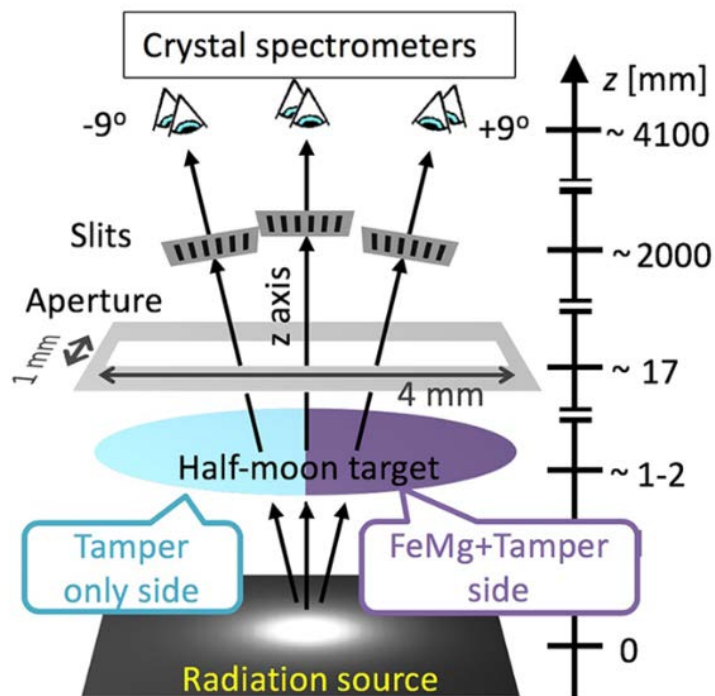
$$\frac{1}{l_{mf,p,\nu}} = \kappa_{\nu} \rho = n\sigma = n_{\text{ion},n} \left(\frac{\pi e^2}{m_e c} \right) \left(\frac{\Gamma/4\pi}{(\nu_0 - \nu)^2 + (\Gamma/4\pi)^2} \right) f_{mn}$$

for a transition from state n to m

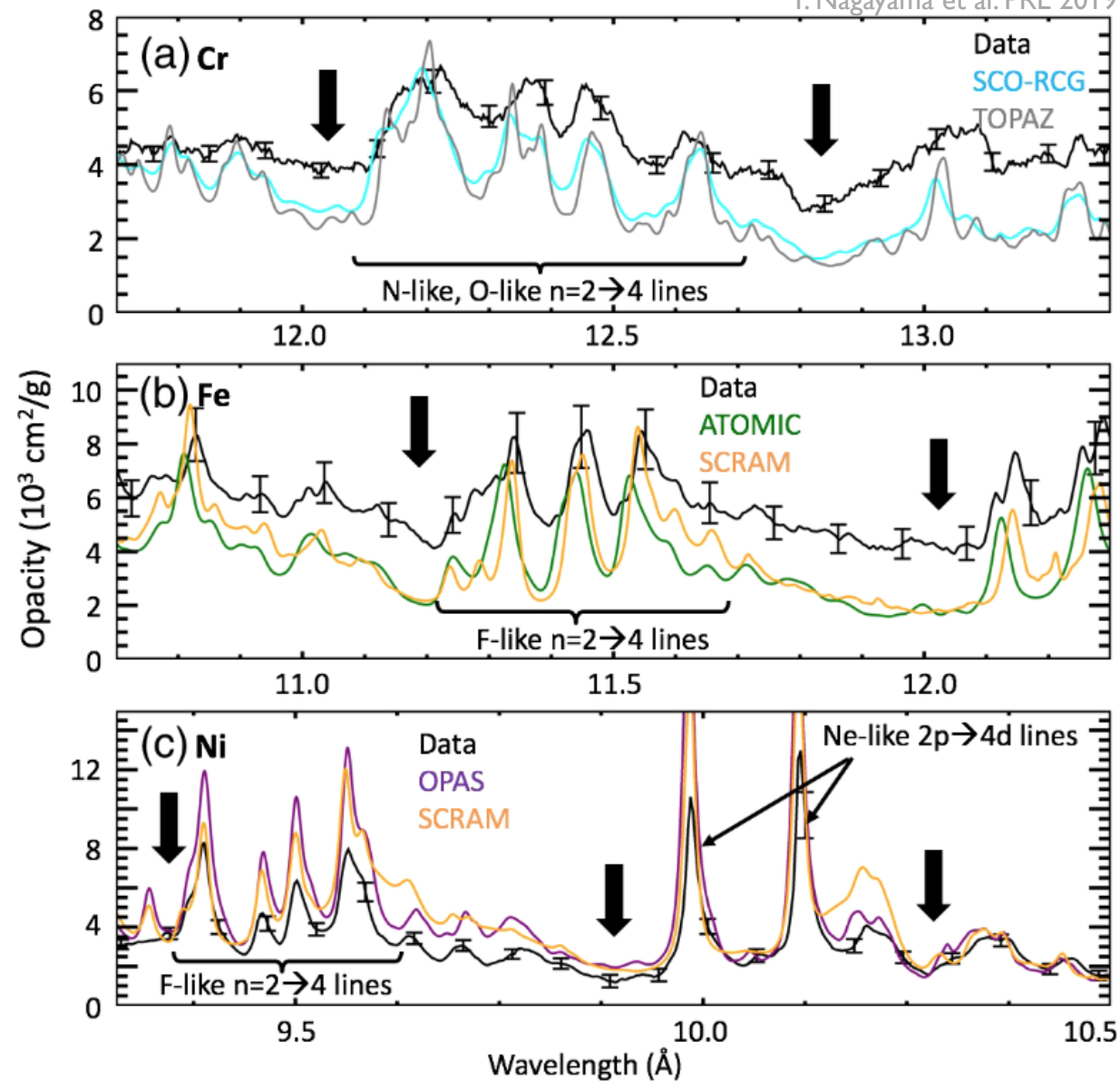
- f_{mn} , the oscillator strength, scales the absorption cross section relative to the classical estimate
- For $n \rightarrow m$, $f_{mn} = \frac{2}{3} \frac{m_e}{g_n \hbar^2 e^2} (E_n - E_m) |\langle m | \hat{d} | n \rangle|^2$
- $\sum_m f_{mn} = N$ electrons in the atom.

Emission f_{mn} contribute to the sum and are negative

Confronting Calculations with Reality



T. Nagayama et al. PRL 2019



The Solar Modeling Problem

- Solar models constructed with observed solar abundances and calculated+measured opacities are in tension with the solar structure determined from helioseismology
 - E.g. Convective/Radiative heat transport boundary differ by 11σ
- Standard solar model also discrepant with solar neutrino fluxes

